

# POPULATION CODING USING FAMILIARITY-CONTINGENT NOISE

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Many prior neural models of decision-making use a global arousal measure, perhaps reflecting norepinephrine levels, to titrate randomness into the choice process. The value (expected reward),  $V$ , of each possible choice (hypothesis) is computed. Then the  $V$  distribution is converted to a probability distribution,  $\rho$ , as a function of arousal level; i.e., higher arousal  $\rightarrow$  more randomness added  $\rightarrow$  less likely that the highest- $V$  choice wins; lower arousal (i.e., more focused attention)  $\rightarrow$  less randomness added  $\rightarrow$  more likely that the highest- $V$  choice wins. In the main, these prior models have used localist representations (codes) of choice; i.e., one coding unit per choice, whether that unit be a single cell or a distinct population of cells. Our proposed model departs from earlier work in two ways. 1) Instead of arousal/attention, it uses a global measure of *familiarity*,  $G$ , i.e., the degree of match between the expected and actual inputs, to titrate randomness. 2) It uses a sparse distributed code, i.e., each choice's code is a set of  $Q$  cells and any given cell participates in many codes. Instead of expected reward, we define a cell's  $V$  as the degree of match between its receptive field and its current input pattern, i.e., a *local degree of evidence*.

The figure's top row shows hypothetical  $V$  values over a representational field with 24 cells grouped into six WTA clusters. It contrasts two cases: *unfamiliarity* (all cells have weak local evidence,  $V \approx 0$ ) and *perfectly familiarity* (each cluster has a cell with  $V=1$ ). We call the set of  $Q=6$  cells with the maximum  $V$ ,  $\hat{V}$ , in the cluster (black bars), the *most favored code*, or  $\hat{V}$  code. Note, the  $\hat{V}$  code is the same in both cases. But, the average,  $G$ , of the  $\hat{V}$  code differs greatly,  $\sim 0.1$  for unfamiliar case, 1 for familiar. Normatively, when unfamiliarity is detected, a new code having little overlap with any previously assigned code should be assigned. Our model achieves this by making the  $V$ -to- $\rho$  map be a constant function (green line). Choosing six winners from the uniform distributions (bottom left) yields the minimal expected overlap between the final code (bottom row) and the  $\hat{V}$  code (code separation). Conversely, when perfect familiarity is detected ( $G=1$ ), the model should reactivate the code that represented the current (familiar) condition in the past, i.e., the  $\hat{V}$  code. Thus, the  $V$ -to- $\rho$  map becomes highly expansive (green sigmoid), yielding the highly peaked distributions (lower right). This maximizes the probability that the  $\hat{V}$  cell in each cluster wins, and thus, that the  $\hat{V}$  code, as a whole, gets reactivated (code completion). More generally, morphing the  $V$ -to- $\rho$  map smoothly based on  $G$  confers the property that similar inputs map to similar codes.

